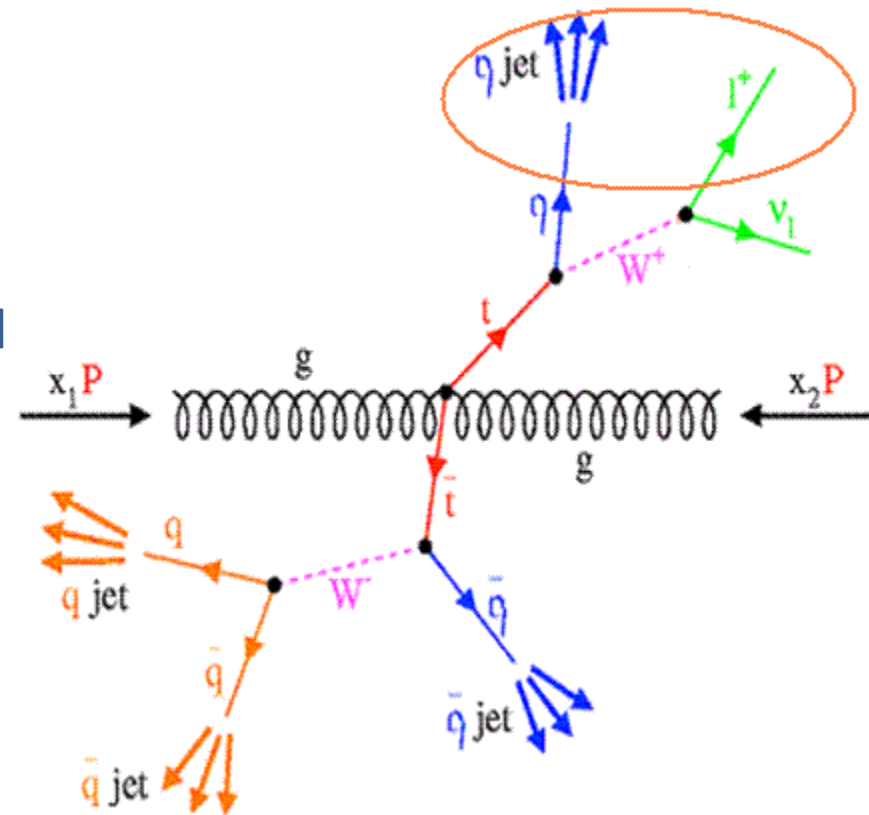


# $\chi^2$ method to select the hadronic top combination in the ttbar event

Abideh jafari

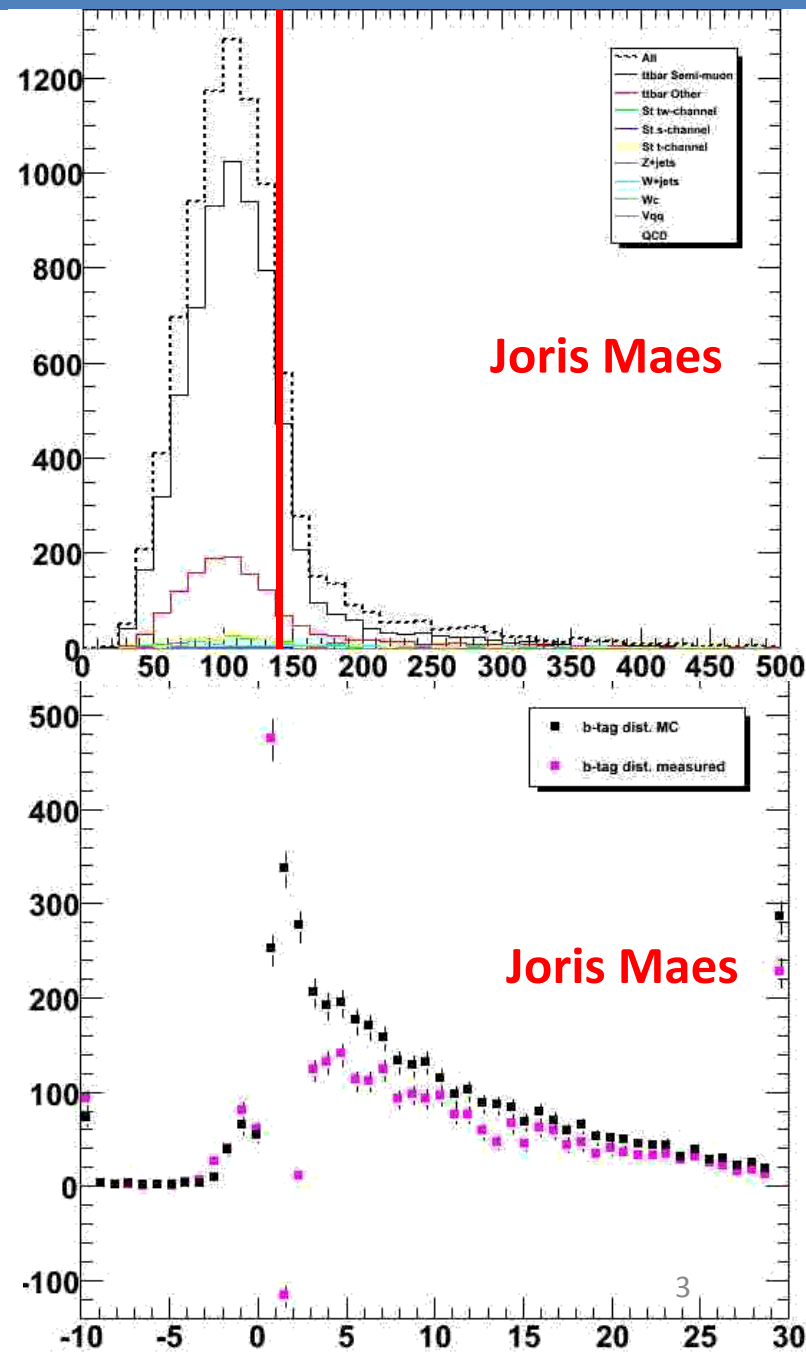
# Introduction

- The aim of the analysis is to find the b-tagging efficiency using top events. Top events are a very rich source of b-jets.
- The semiElectronic decay channel of  $t\bar{t}b\bar{r}$  will be used in this analysis
- The key point to take the b-jet among all four jets without biasing the efficiency, is the invariant mass of the lepton and the b-jet from the leptonic side of the  $t\bar{t}b\bar{r}$  event.
- So, one of the challenges is to find the b-jet coming from the leptonic decay of one of the top-quarks.
- We try to find it using a  $\chi^2$  method. (coming later)



# Introduction

- Another challenge is to subtract the backgrounds, (light jets from W+Jet events, QCD ,etc.) from the signal region
- It can be done either by using the MC information or by looking at some variables in bkg dominated region.
- A variable like b-tag discriminator (BD) is to have the same shape for light jets in signal and background dominated region.
- One can extract the shape of BD from the right side, multiply it by a factor and subtract it from the distribution of BD in the left side. Then, taking the b-jet from left side, the b-tag efficiency can be found
- The analysis in the muon channel is done by Joris Maes and the details can be found in sources mentioned in the backup.



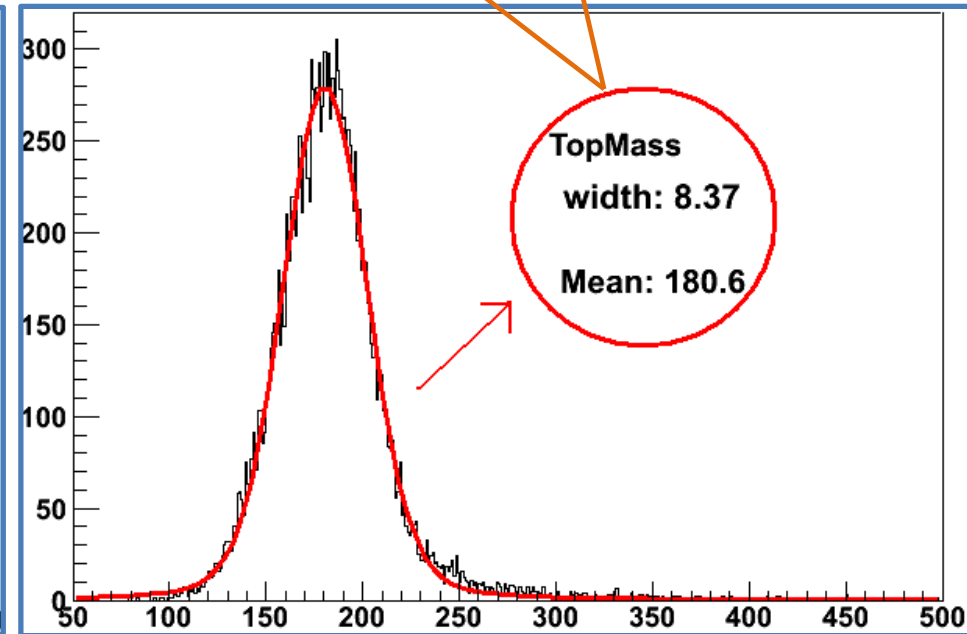
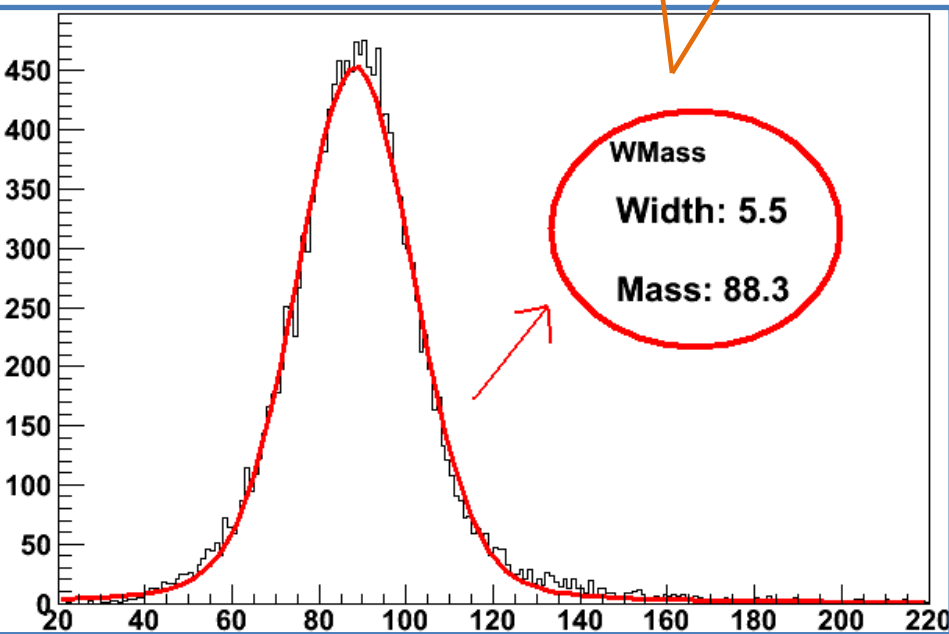
## How to recognize the hadronic top?

- The first step is to reconstruct the hadronic Top with 3 jets and let the other jet (say leptonic b-jet) play the role in the rest of the analysis, i. e. mlb calculation.
- Our tool to find the best jet combination for hadronic top, is a chiSquared variable. It is calculated under some constraints like the mass of the W/Top and their mass resolution.
- These constraints are coming from the result of fitting a function on the mass distribution of the reconstructed Top/W.
- In each event, there are different jet combinations of which, only one is corresponding to the decay products of the Hadronic TopQuark.
- This combination is expected to give us the minimum chiSquared value.
- So, in each event, this minimum value is to be found and it should be less than some  $\chi^2_0$  value to be accepted as coming from the hadronic top.
- This  $\chi^2_0$  value is to be determined by studying the purity and efficiency of the cut on  $\chi^2$ .

**\*\* The data-set is TtBar Pythia sample summer09. Skimmed to semiElectronic decay channel**  
**\*\* The software is CMSSW314**

# How to calculate the $\chi^2$

$$\chi^2 = \left( \frac{recW.Mass() - WMass}{\sigma_W} \right)^2 + \left( \frac{recTop.Mass() - TopMass}{\sigma_{Top}} \right)^2$$



- All jets meet the criteria of  $|\eta| < 2.4$ ,  $P_t > 25$  GeV,  $nCaloTowers > 5$
- Events only asked to have at least 4 of these jets
- Jets are matched to the genQuarkes and then are used in W/Top reconstruction.
- The closest jet to a genQuark is matched to it only if  $\Delta R(jet, Q) < 0.3$ .
- The fit function is a Breit-Wigner convoluted with a Gaussian.
- The constraints, encircled values, are resulted from fitting.

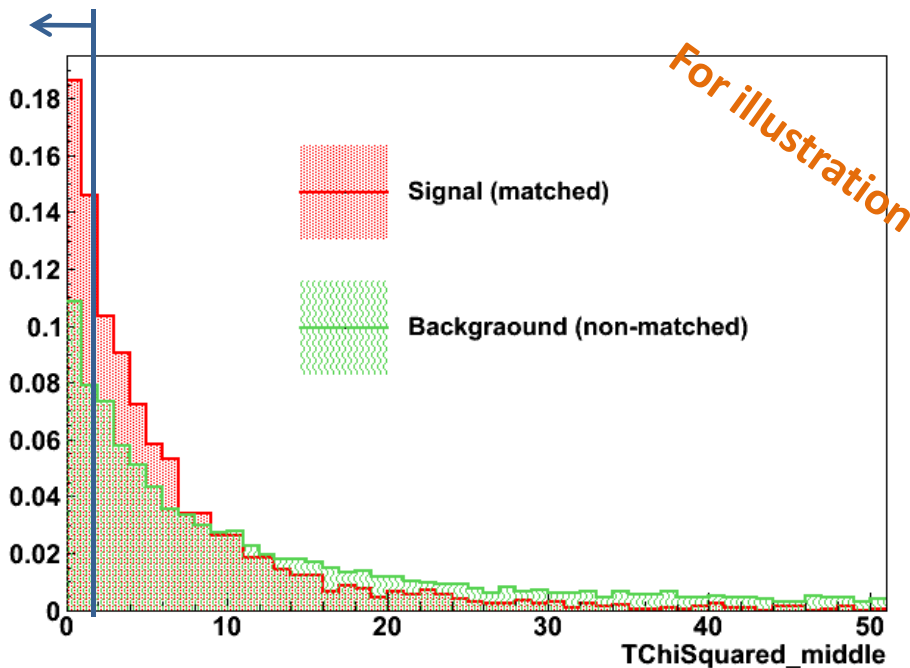
# Event Selection

- Events are selected according to what we had discussed in the meeting except here there is no request for “*at least on b-jet*”.
- Passing the HLT of having a non-Isolated electron.( 68019)
- At least one electron,  $|\eta| < 2.4$  (gap is excluded),  $P_t > 20$  GeV, isolated, identified, with  $d_0 < 200$   $\mu\text{m}$ .(38061)
- Exactly one electron with the criteria above.(38041)
- No second electron with  $|\eta| < 2.4$  (gap is excluded),  $P_t > 20$  GeV, and identified as robustLoose.(36568)
- No isolated muon with with  $|\eta| < 2.1$ ,  $P_t > 20$  GeV,  $d_0 < 200$   $\mu\text{m}$ ,  $\chi^2 < 10$ ,  $n\text{ValidHits} > 11$ . (36567)
- Jets are cleaned from electrons (Maryam’s Method)
- At least 4 jets with  $|\eta| < 2.4$ ,  $P_t > 25$  GeV,  $n\text{CaloTowers} > 5$  (17998)

❖ *initial number of events: 70925*

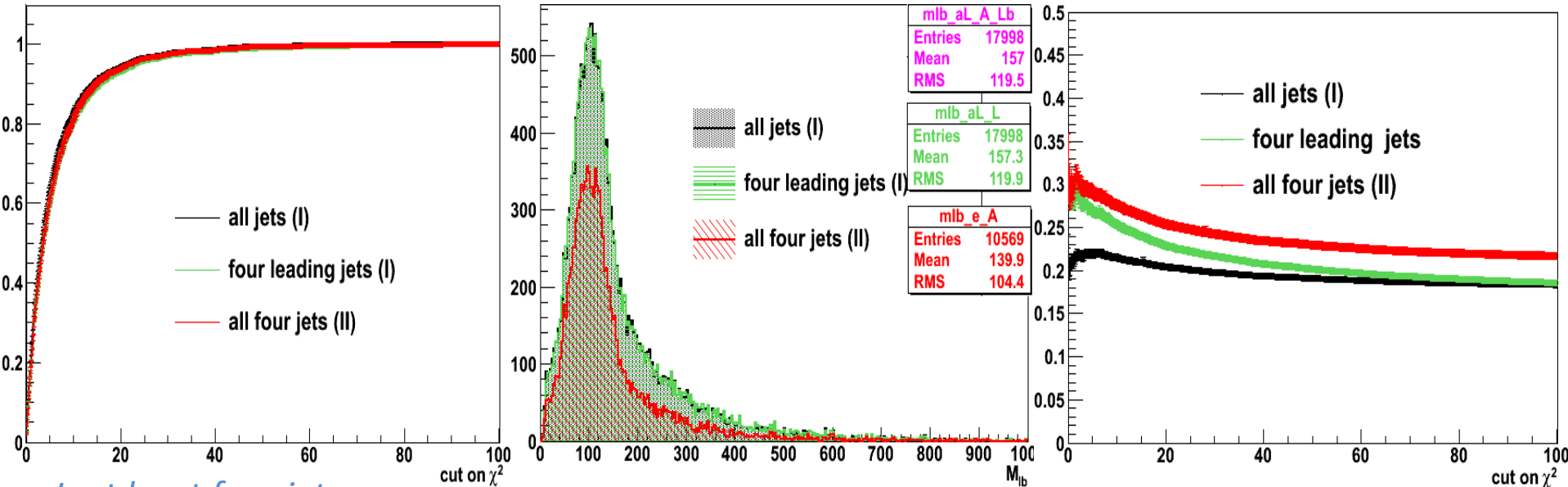
# How does the $\chi^2$ work?

- In order to see how does this method works, if it is stable enough, the analysis is split as follows:
  - We may select the events with
    - At least 4 jets
    - Exactly 4 jets
  - In each event we can take all jets or only the first 4 leading jets in to account to make the combinations
- On the other hand, applying a cut on the  $\chi^2$  gives us an efficiency and purity. The behaviors of them are investigated vs. the cut on the  $\chi^2$ .



- Signal efficiency: number of signals (events with matched combination) that passed the cut. (red left/red right)
- Purity: the signal fraction in events pass the cut. (left side: red/red+green)

# First results



- *I: at least four jets*
- *II: exactly four jets*

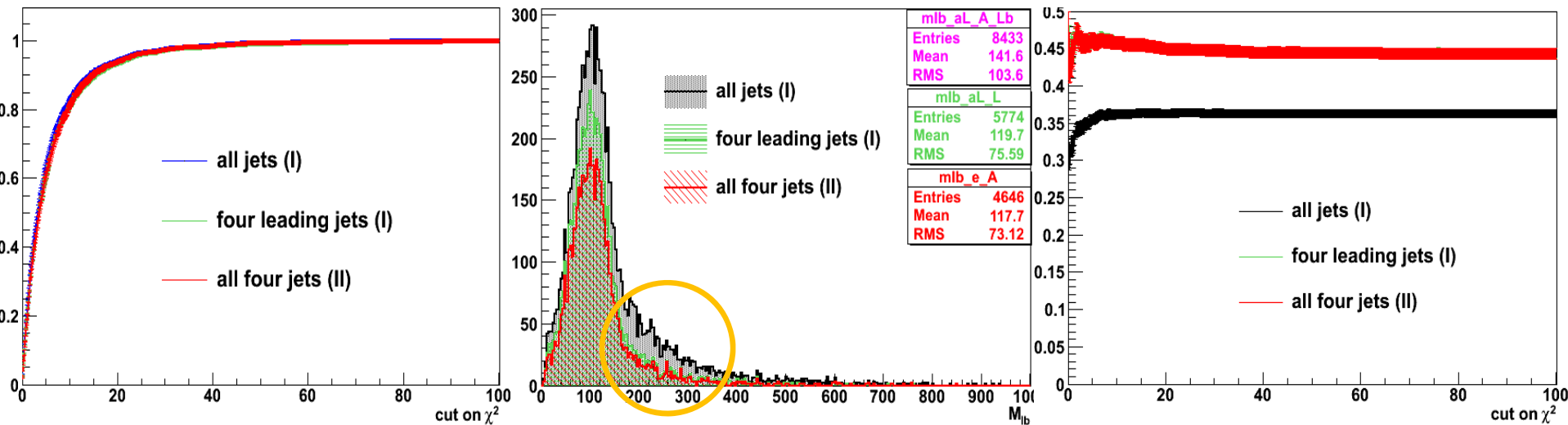
- Efficiencies are the same.
- When we asked for at least 4 jets, working with all jets or the leadings has no difference in  $m_{lb}$ .
- Working with all jets, results in a very low purity.
- Asking for exactly 4 jets gives, makes the purity slightly better (we are not interested in high values of  $\chi^2$ ).
- In case of exactly 4 jets, we loose many events from the peak range.
- Asking for at least 4 jet and working with leading jets seems fine.

# Accepting events with matched combination

## Comments from Jorgen/Stephanie:

Events enter the game, should have the potential of being matched. We have events in which none of the combinations are matched. These events give us a minimum  $\chi^2$  value but they can never give a matched combination.

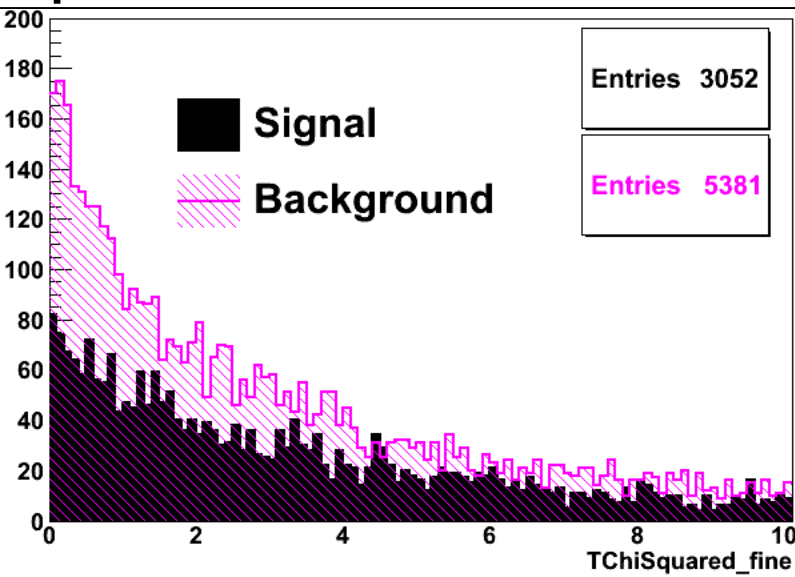
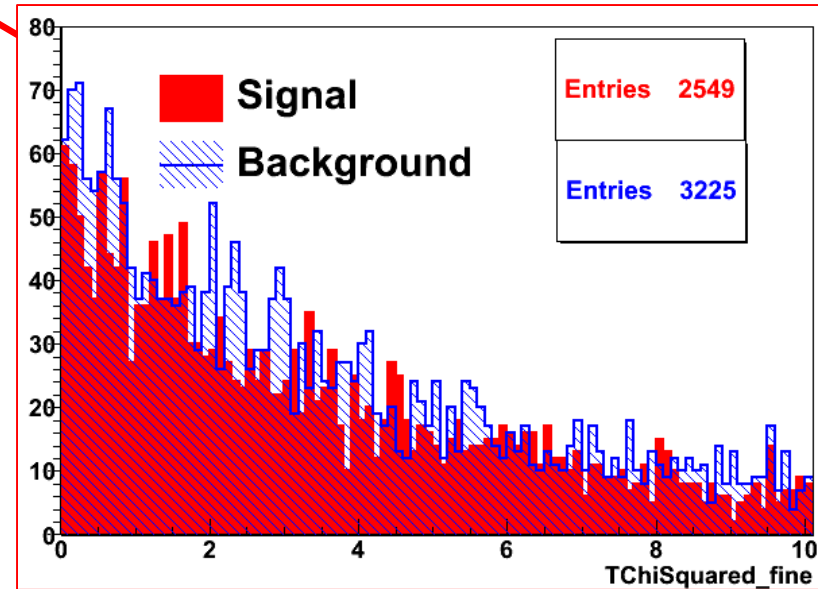
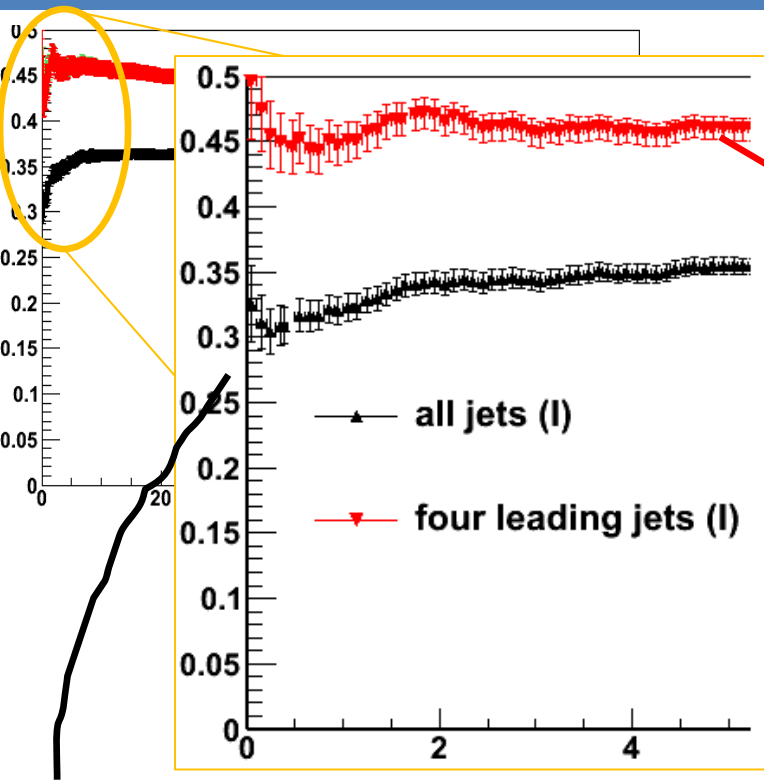
As we are interested in seeing the power of our  $\chi^2$  method, it makes sense to give to the method events that have the possibility of being correctly selected, i.e. events with one matched combination.



- Working with all combinations, adds entries to the non-peak range of  $M_{lb}$  distribution. Also the purity is again very low.
- The purity of events with exactly for jets is the same as those events with at least four jets when only the leading jets are considered.
- Again asking for exactly 4 jets reduces the statistics in the peak range while keep the efficiency and the purity similar to case of working with leading jets.

# A question

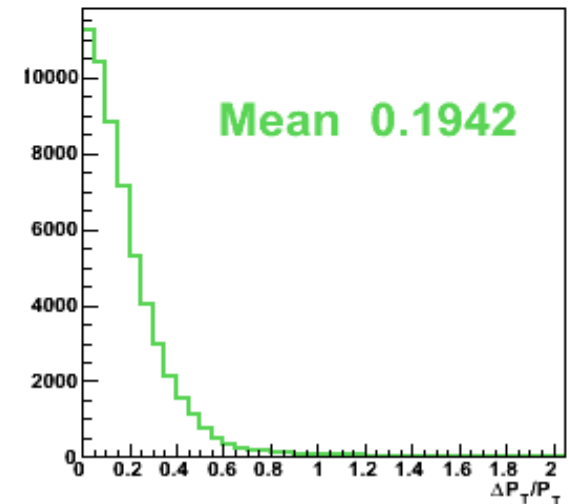
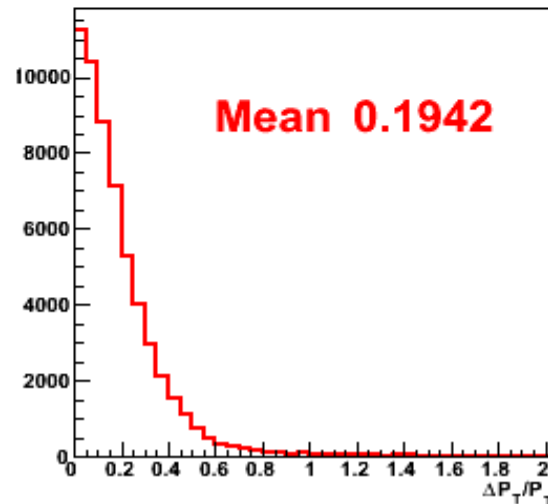
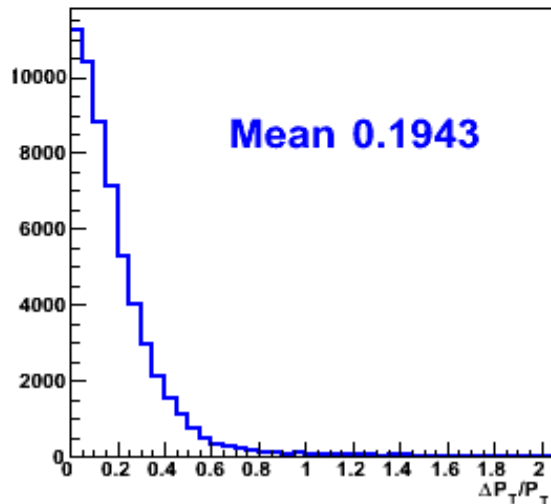
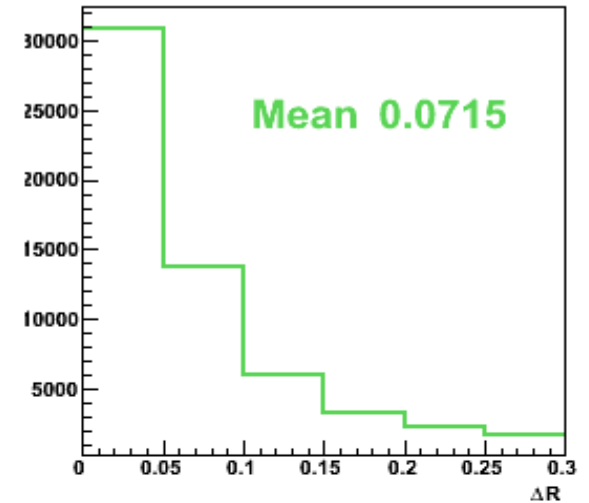
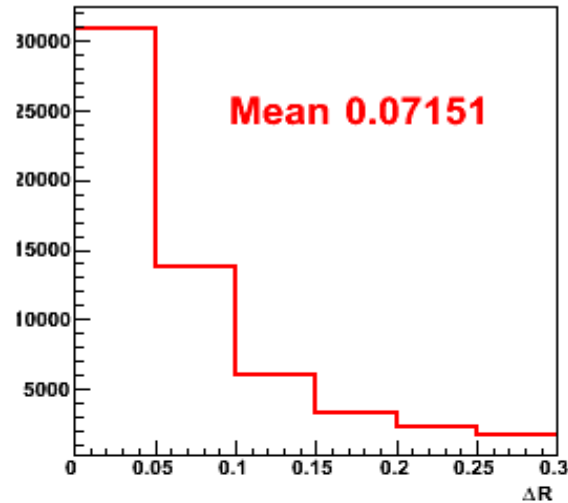
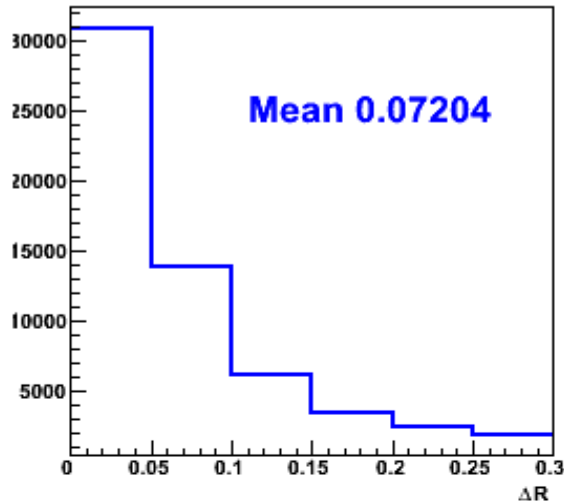
- Why the purity is not always falling? Specially in the black line, it is always raising!



- In the red plot which is to be our way of making combinations, the shape of the signal and background are not different that much. While we expect a distribution peaky near zero for signal and a more flat distribution for background.
- For the black plot the situation is even worse. Instead of signal, bkg has a peak near zero<sup>10</sup>

# Is the matching algorithm problematic?

- The first guess is that matching algorithm can be problematic:



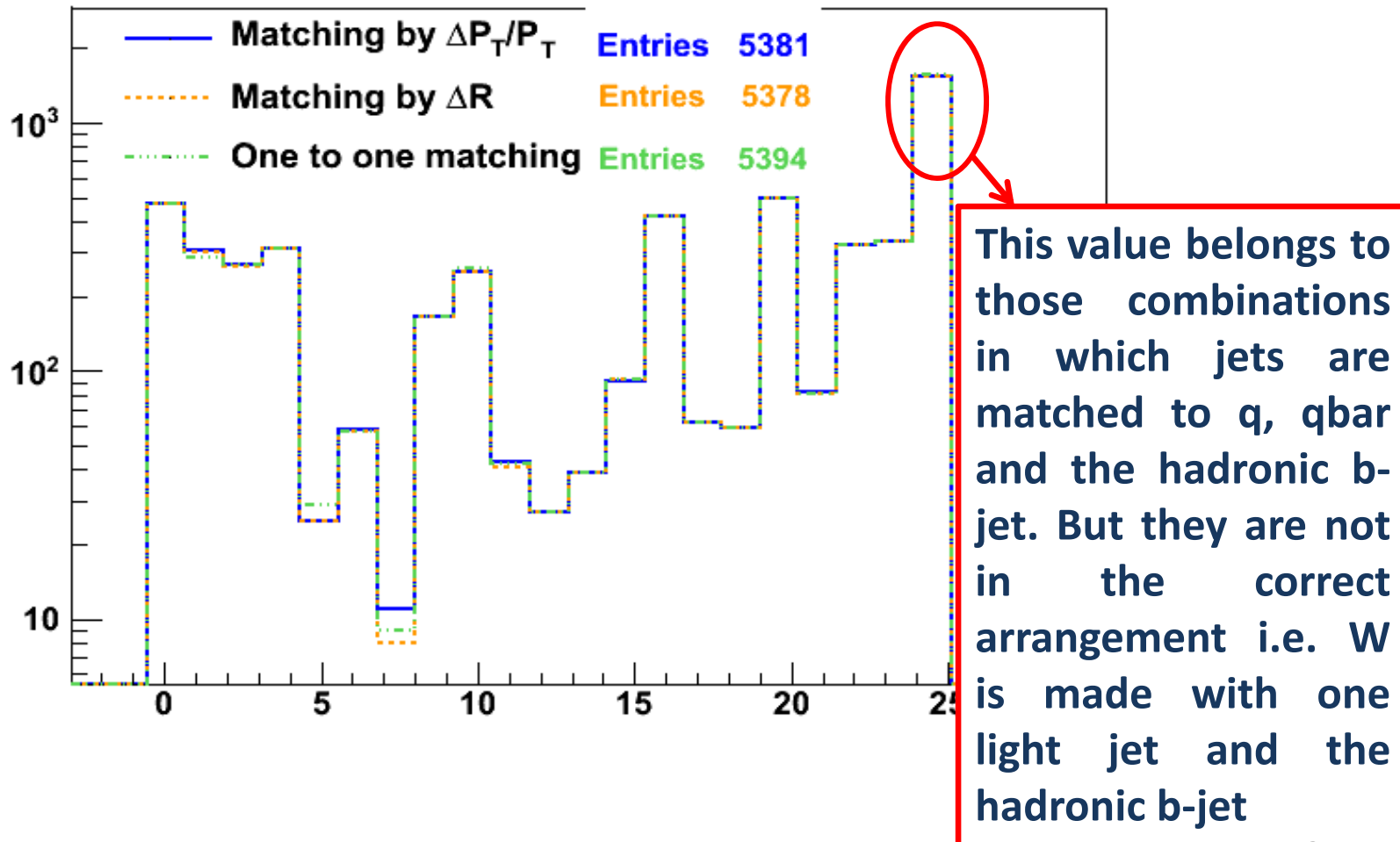
By  $\Delta R$

By  $\Delta P_T/P_T$

By  $\Delta R$ , check to be one to one

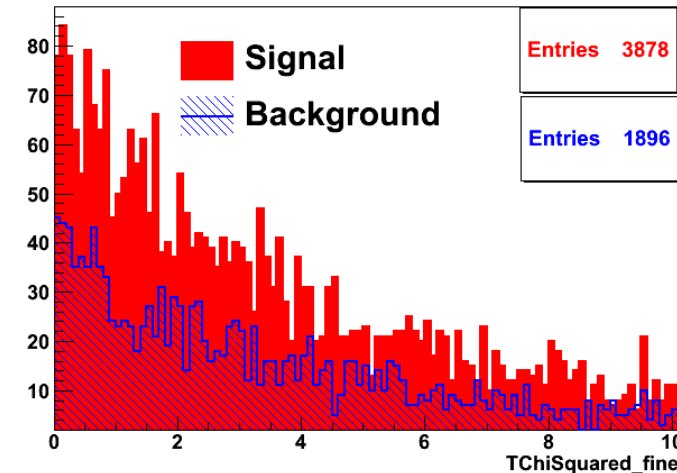
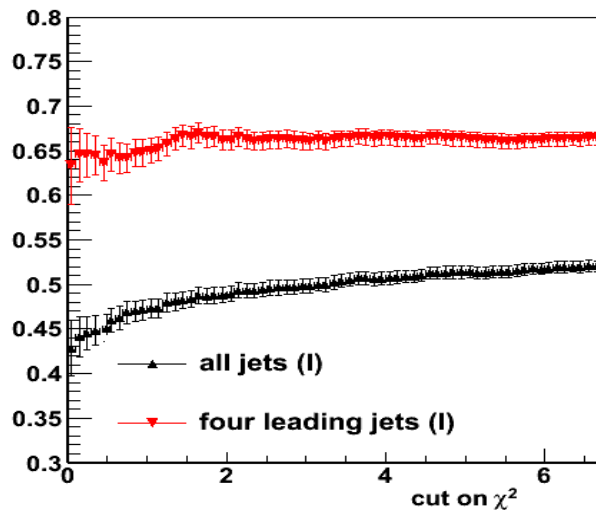
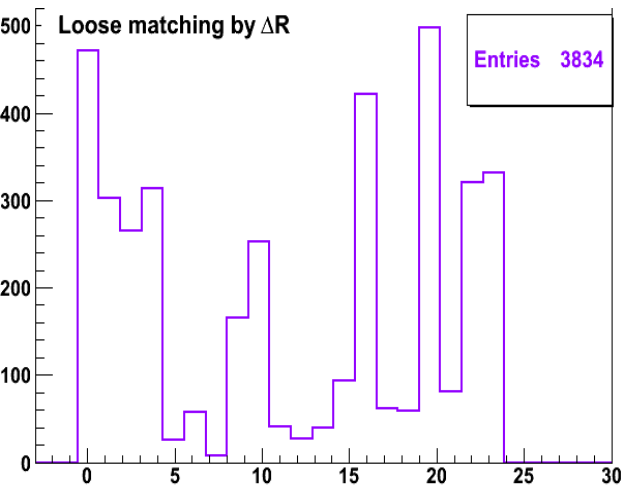
## Go deeper ...

- The non-matched combinations can have either non-matched jets or matched jets in a bad arrangement. I have categorized them in 24 categories. This plot shows the type of non-matched combinations for different matching algorithms. The combinations here are made using all jet s.



# Loosening the matching criterion of the combinations

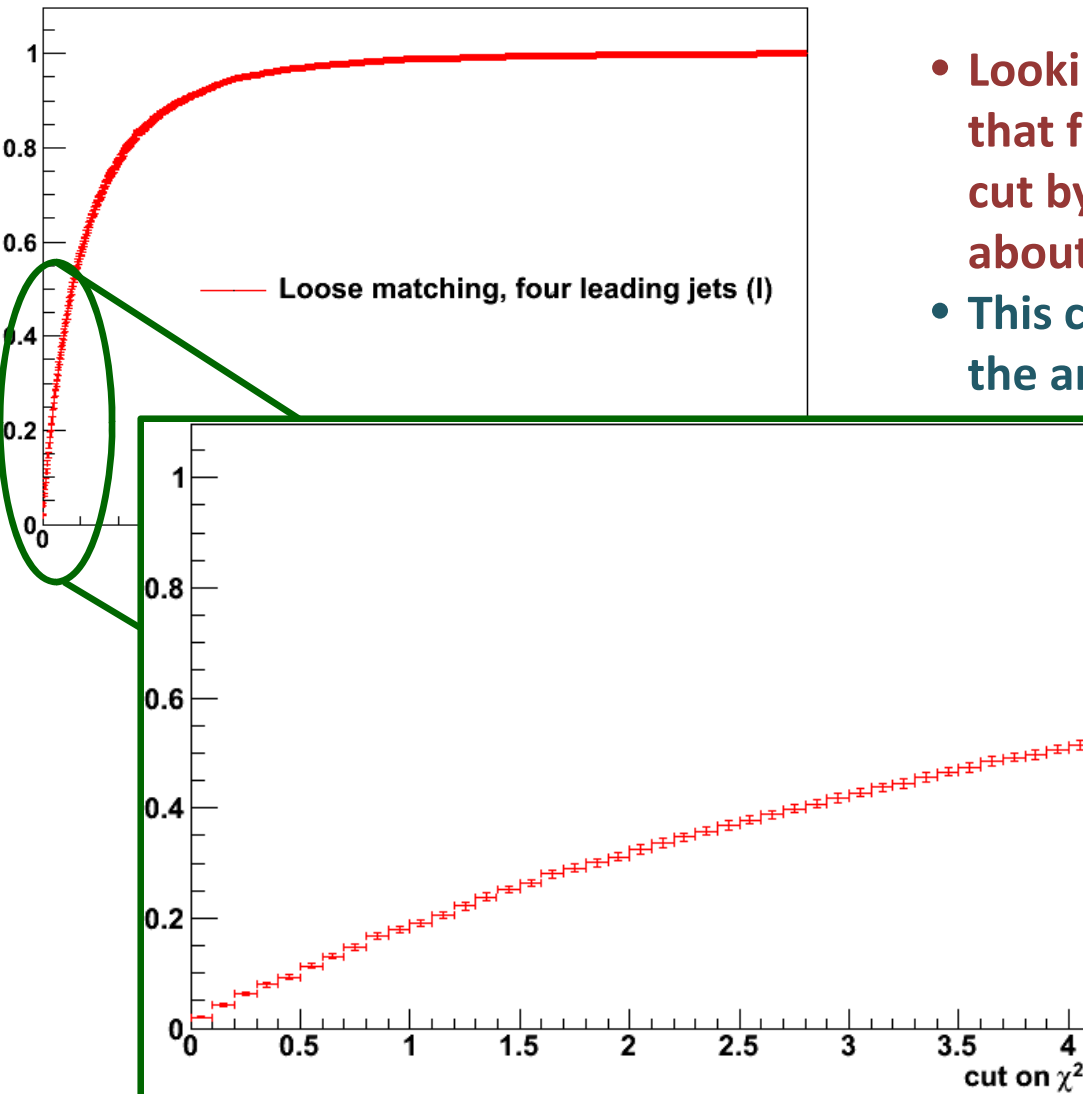
- Here, I accept the combination as matched if it contains true jets even in bad arrangement. By this kind of matching, The remaining b-jet is still leptonic b.



- The overall purity has increased as is expected.
- In the red plot, the fluctuations have decreased but the whole behavior has not changed that much.
- Although the amount of signal has enhanced, but the shape signal and background are still very similar.
- For the back plot, the situation becomes even worse! It is raiding more sharply!

# Loosening the matching criterion of the combinations

- If we work in low  $\chi^2$  range, where the purity is not decreasing but at least is kind of flat, then we may suffer from the systematic uncertainty. Because the efficiency is increasing sharply there.



- Looking at plot in green box, one can see that for example at  $\chi^2 = 0.5$ , if we change the cut by 0.1, the efficiency will change by about 2%.
- This change can have no effect at the end of the analysis or can be harmful.

- This can be investigated only at end of the analysis

# Summary and conclusion

- Different ways of combining jets are investigated for different event selections.
  - The best choice is asking for at least 4 jets and using only 4 leading jets
- The purity of the selected events, is raising vs. the cut on  $\chi^2$ . Different matching algorithms are studied to see if the strange behavior of purity vs. the cut, is coming from the way of matching.
- Ignoring the jet arrangement criterion in selecting the matched combination is not helpful.
- The  $\chi$ -squared method is not so discriminating between the good and bad combinations in signal, i.e. semiElectronic decay channel of  $t\bar{t}$ . The reason is still not clear for me.
- Perhaps adding backgrounds like W+Jets, can change the game.
- It is still a question that can we ignore this raising behavior as we are to work in low  $\chi^2$  range.

- **CMS CR-2008/059**
- **<http://indico.cern.ch/getFile.py/access?contribId=0&resId=2&materialId=slides&confId=63265>**